

Fig.1 HY-2A satellite and the LRA

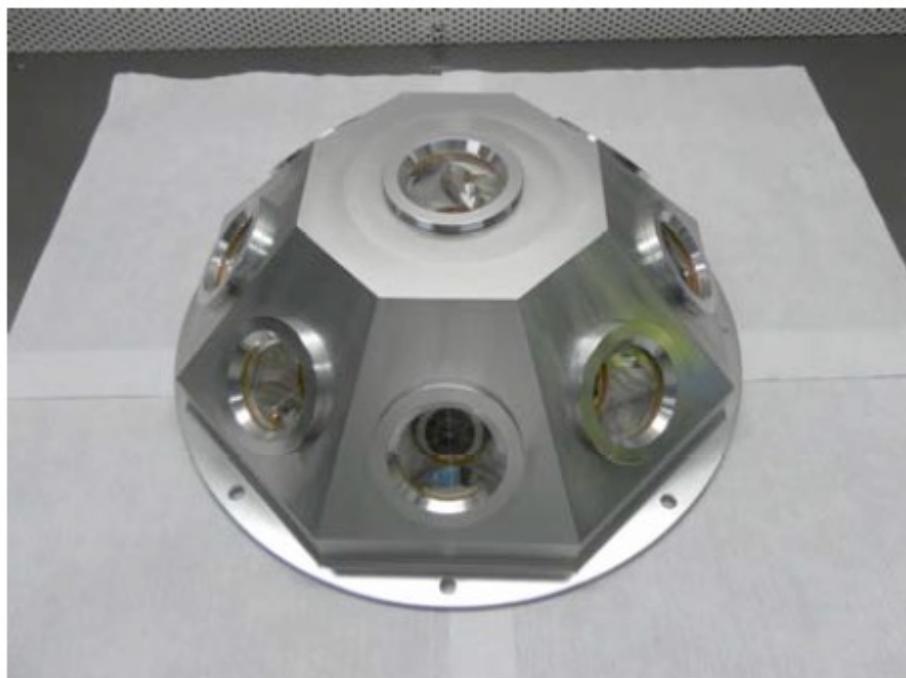


Fig.2 LRA configuration for HY-2A

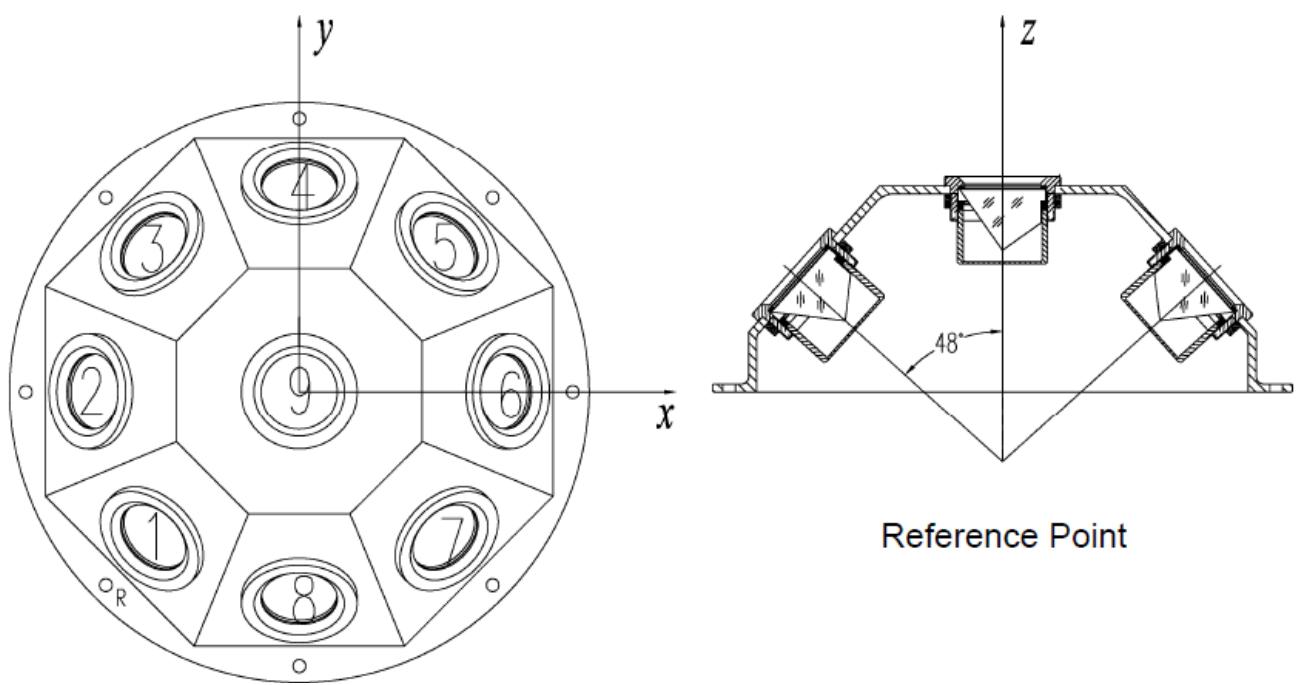


Fig.3 The structural profile of LRA for HY-2A

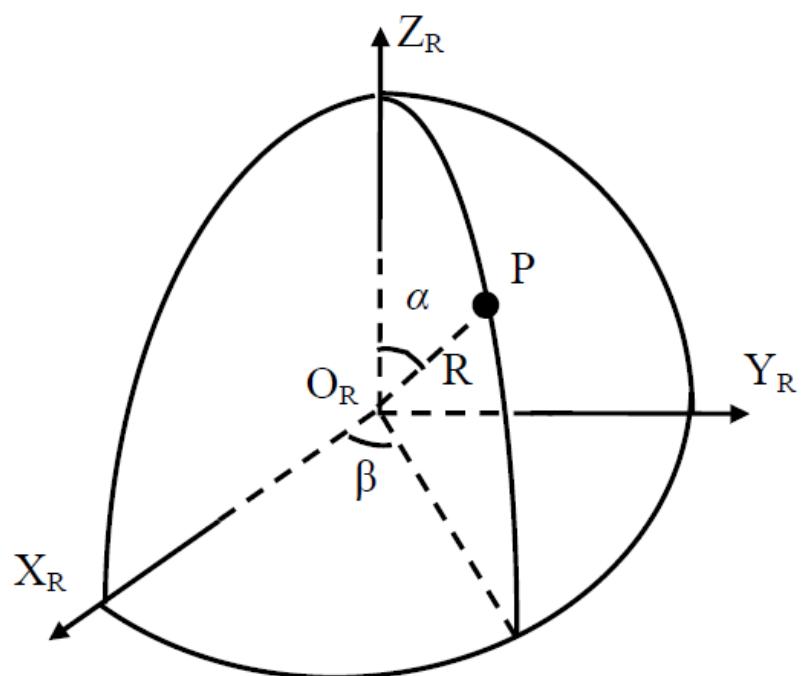


Fig.4 The definition of the orientation ( $\alpha$ ,  $\beta$ ) of each cube **P** with spherical coordinates

The spherical center point (reference point) of LRA is (311, -268, 994) mm.

The range correction of LRA from spherical center is 73.7 mm.

The LRA reference point is spherical center point of LRA. The position of the center of the front face of each corner cube is as following (Fig.3):

No.1 (-61.74, -61.74, 78.62) mm, No.2 (-87.32, 0, 78.62) mm, No.3 (-61.74, 61.74, 78.62) mm,

No.4 (0, 87.32, 78.62) mm, No.5 (61.74, 61.74, 78.62) mm, No.6 (87.32, 0, 78.62) mm,

No.7 (61.74, -61.74, 78.62) mm, No.8 (0, -87.32, 78.62) mm, No.9 (0, 0, 117.5) mm

The definition of the orientation ( $\alpha$ ,  $\beta$ ) of each cube with spherical coordinates as following (Fig.4):

No.1( $48^\circ, 225^\circ$ ), No.2 ( $48^\circ, 180^\circ$ ), No.3 ( $48^\circ, 135^\circ$ ), No.4 ( $48^\circ, 90^\circ$ ), No.5 ( $48^\circ, 45^\circ$ ), No.6 ( $48^\circ, 0^\circ$ ), No.7 ( $48^\circ, 315^\circ$ ), No.8 ( $48^\circ, 270^\circ$ ), No.9 ( $0^\circ, 0^\circ$ )

Dihedral angle offset(s) and manufacturing tolerance:

No.1 (2.0 1.7 1.9)", No.2 (1.8 1.9 1.9)", No.3 (1.7 1.9 2.0)",

No.4 (1.9 1.9 1.8)", No.5 (1.9 1.9 2.0)", No.6 (1.7 1.9 2.1)",

No.7 (2.0 2.1 2.2)", No.8 (1.9 2.1 2.1)", No.9 (2.1 2.2 2.1)"

## Refractive Index and Dispersion:

Conditions: 22 °C, 760 mm Hg, N <sub>2</sub>				
Wavelength [Vacuum] [nm]	Refractive Index <sup>2</sup> n	Thermal Coefficient Δn/ΔT <sup>3</sup> [ppm/C]	Polynomial Dispersion Equation Constants <sup>1</sup> , 22 °C	
1128.950	1.448866	9.6	A <sub>0</sub>	2.104025406E+00
1014.260 n <sub>t</sub>	1.450241	9.6	A <sub>1</sub>	-1.456000330E-04
852.344 n <sub>s</sub>	1.452463	9.7	A <sub>2</sub>	-9.049135390E-03
706.714 n <sub>r</sub>	1.455144	9.9	A <sub>3</sub>	8.801830992E-03
656.454 n <sub>c</sub>	1.456364	9.9	A <sub>4</sub>	8.435237228E-05
632.990	1.457016	10.0	A <sub>5</sub>	1.681656789E-06
587.725 n <sub>d</sub>	1.458461	10.1	A <sub>6</sub>	-1.675425449E-08
546.227 n <sub>e</sub>	1.460076	10.2	A <sub>7</sub>	8.326602461E-10
486.269 n <sub>F</sub>	1.463123	10.4	Sellmeier Dispersion Equation Constants <sup>2</sup> , 22 °C	
435.957 n <sub>g</sub>	1.466691	10.6		
404.770 n <sub>h</sub>	1.469615	10.8	A <sub>1</sub>	0.68374049400
365.119 n <sub>i</sub>	1.474539	11.2	A <sub>2</sub>	0.42032361300
334.244	1.479764	11.6	A <sub>3</sub>	0.58502748000
312.657	1.484493	12.0		
253.728	1.505522	13.9	B <sub>1</sub>	0.00460352869
228.872	1.521154	15.5	B <sub>2</sub>	0.01339688560
214.506	1.533722	17.0	B <sub>3</sub>	64.49327320000
206.266	1.542665	18.1	Δn/ΔT Dispersion Equation Constants <sup>3</sup> , 20-25 °C	
194.227	1.558918	20.3		
184.950	1.575017	22.7	C <sub>0</sub>	9.390590
			C <sub>1</sub>	0.235290
			C <sub>2</sub>	-1.318560E-03
			C <sub>3</sub>	3.028870E-04
Other Optical Properties				
nF-nC <sup>4</sup>		0.006797		
Stress Coefficient		35.0 nm/cm MPa		
Abbe Constants:				
V <sub>e</sub>		67.6		
V <sub>d</sub>		67.8		

\*1 Polynomial Equation:  $n^2 = A_0 + A_1 \lambda^4 + A_2 \lambda^2 + A_3 \lambda^{-2} + A_4 \lambda^{-4} + A_5 \lambda^{-6} + A_6 \lambda^{-8} + A_7 \lambda^{-10}$  with  $\lambda$  in  $\mu\text{m}$

\*2 Sellmeier Equation:  $n^2 - 1 = A_1 \lambda^2 / (\lambda^2 - B_1) + A_2 \lambda^2 / (\lambda^2 - B_2) + A_3 \lambda^2 / (\lambda^2 - B_3)$  with  $\lambda$  in  $\mu\text{m}$

\*3  $\Delta n/\Delta T$  Equation:  $\Delta n/\Delta T$  [ppm/C] = C<sub>0</sub> + C<sub>1</sub>λ<sup>-2</sup> + C<sub>2</sub>λ<sup>-4</sup> + C<sub>3</sub>λ<sup>-6</sup> with  $\lambda$  in  $\mu\text{m}$

The above dispersion equations for SiO<sub>2</sub> were fit to the refractive indices of 20 wavelengths from 1129 nm to 185 nm.